

Lecturer 6, 7, 8, 9

Radio Communication Systems

1

Outline

2

- Introduction
- Types of Digital Modulation
 - Frequency Shift Keying FSK
 - MSK Minimum Shift Keying
 - Amplitude Shift Keying ASK
 - Phase Shift Keying PSK
- M-ary PSK Encoding
 - Quadrature QPSK
 - 8-PSK
- QAM: (8-QAM)
- Carrier Recovery Circuits

Digital Radio

➤ Why Digital ?

- Ease of processing,
- Ease of multiplexing, and
- Noise immunity.

➤ All Digital Communications

- Transmission, reception and processing of information.

➤ Increasing of Information Capacity

- No of independent symbols that can be carried through system in a given time.

Information Capacity

- **1928 Hartley introduces useful rule:**
 - Capacity C is proportional to both the bandwidth B and the time T :

$$C \sim B T$$

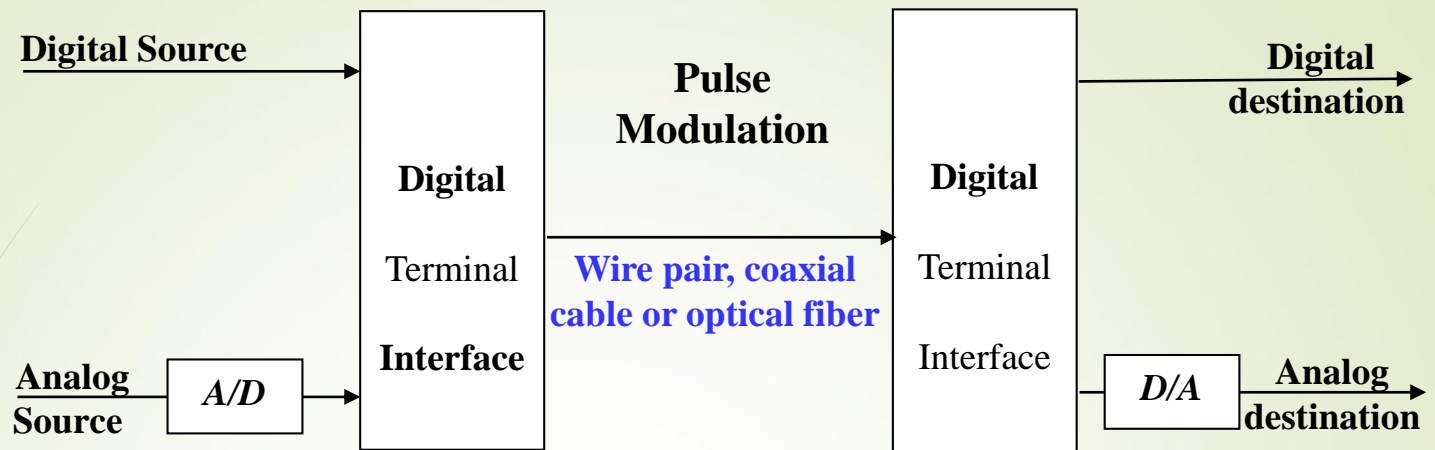
- **1948 Shannon published a limit for C :**

$$C \leq B \log_2 \left(1 + \frac{S}{N} \right) = 3.32 B \log_{10} \left(1 + \frac{S}{N} \right)$$

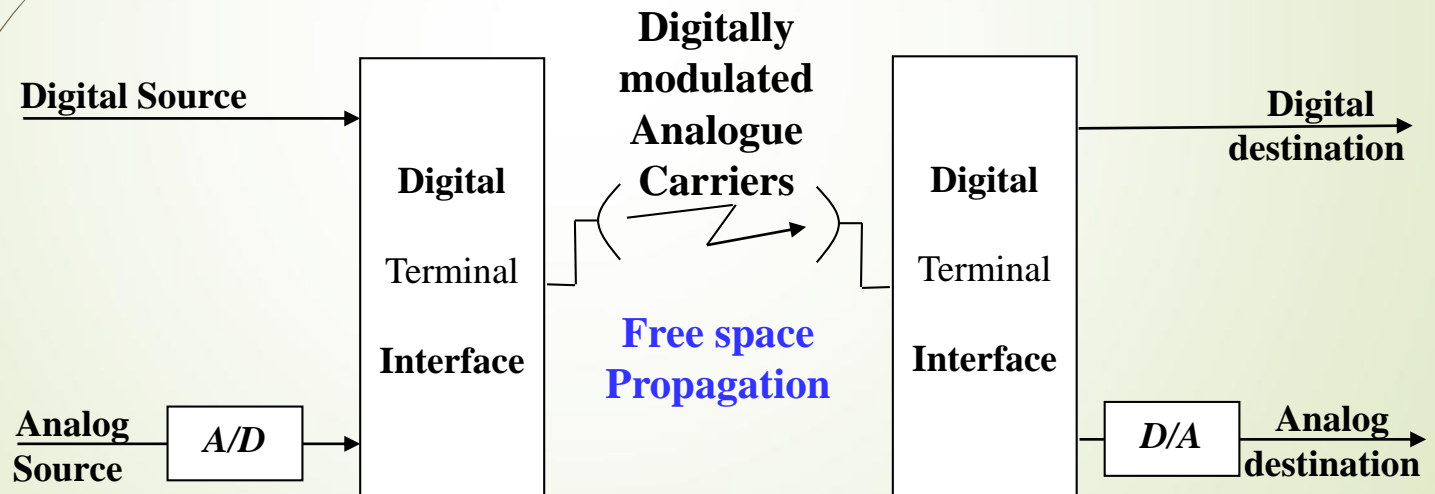
- $S/N = 1000$ (30 dB), $B = 2.7\text{kHz}$, C :
 $C \leq 2700 \log_2(1 + 1000) \leq 26.9 \text{ kbps}$

Limit Misunderstood

- Above example may be true, but it cannot be done with a binary system.
- To achieve 26.9 kbps through 2.7 kHz channel, each symbol must contain more than one bit of information.
- So, to achieve Shannon limit, digital transmission systems that have more than two output conditions (symbols) must be used.



(a) Baseband Transmission



(b) Digital Radio Transmission

Types of Modulation

- تعديل إزاحة السعة ASK **Amplitude Shift Keying**
- تعديل إزاحة التردد FSK **Frequency Shift Keying**
- تعديل الإزاحة الدنيا MSK **Minimum Shift Keying**
- تعديل الإزاحة الدنيا الجاوسي GMSK **Gaussian Minimum Shift Keying**
- تعديل إزاحة الطور PSK **Phase Shift Keying**
- تعديل إزاحة الطور الثنائي BPSK **Binary Phase Shift Keying**
- تعديل إزاحة الطور التفاضلي DPSK **Differential Phase Shift Keying**
- تعديل إزاحة الطور متعدد المستويات M-ary Phase Shift Keying
- تعديل إزاحة الطور التعامدي QPSK **Quadrature Phase Shift Keying**
- تعديل إزاحة الطور الثماني 8PSK **Eight Levels Phase Shift Keying**
- تعديل السعة التعامدي QAM **Quadrature Amplitude Modulation**

FSK

**Frequency Shift
Keying**

FSK Transmitter Signal

9

➤ Simple, low performance.

➤ Constant envelope angle modulation.

$$v_{FSK}(t) = V_c \cos \left[\left(\omega_c + f_m(t) \frac{\Delta\omega}{2} \right) t \right]$$

➤ $f_m(t)$ binary digital modulating signal

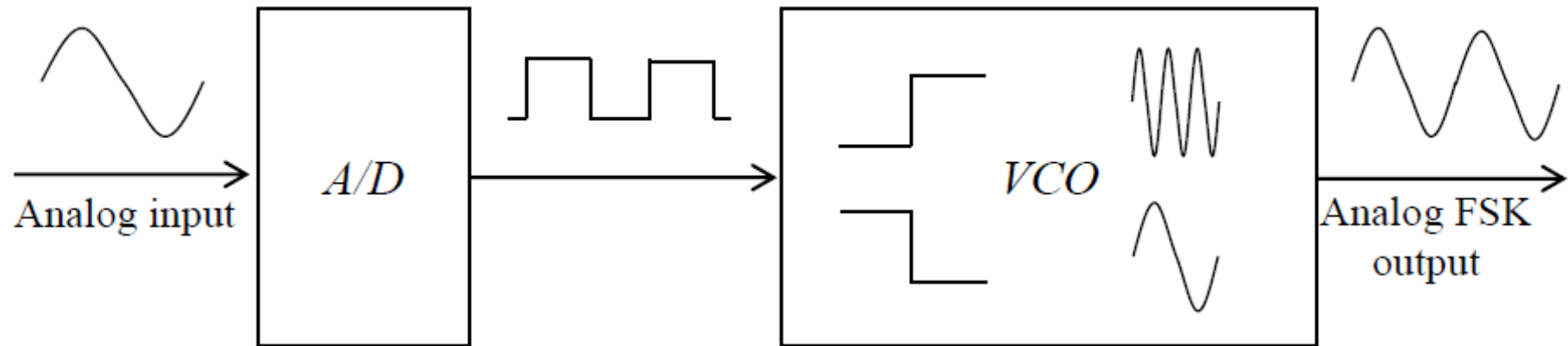
➤ V_c, ω_c , carrier amplitude, frequency

➤ Carrier frequency shifts between $\omega_c \pm \Delta\omega/2$

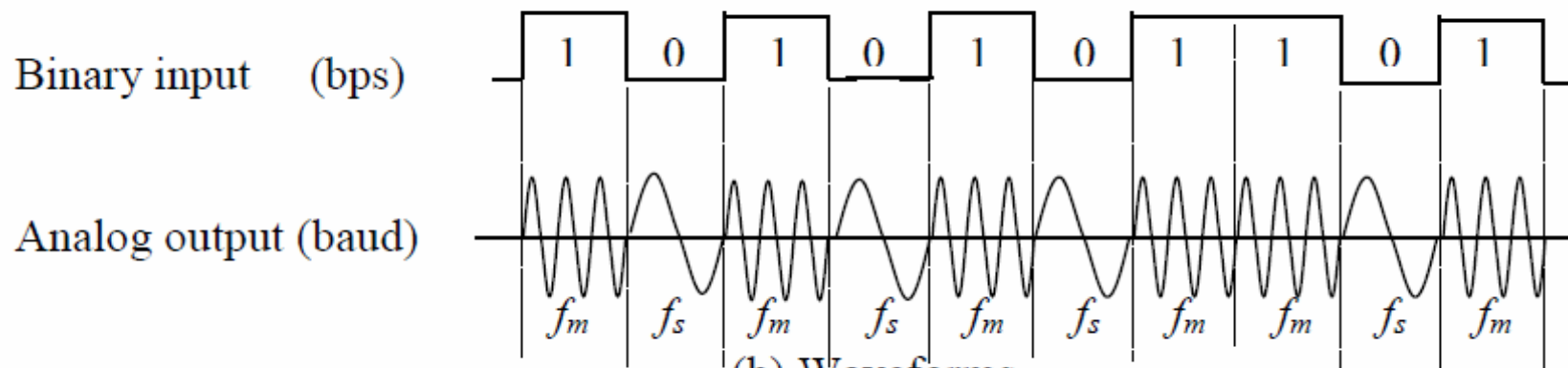
➤ Shift rate equals the input bit rate f_b b/s.

FSK Transmitter

10



(a) FSK Transmitter



(b) Waveforms

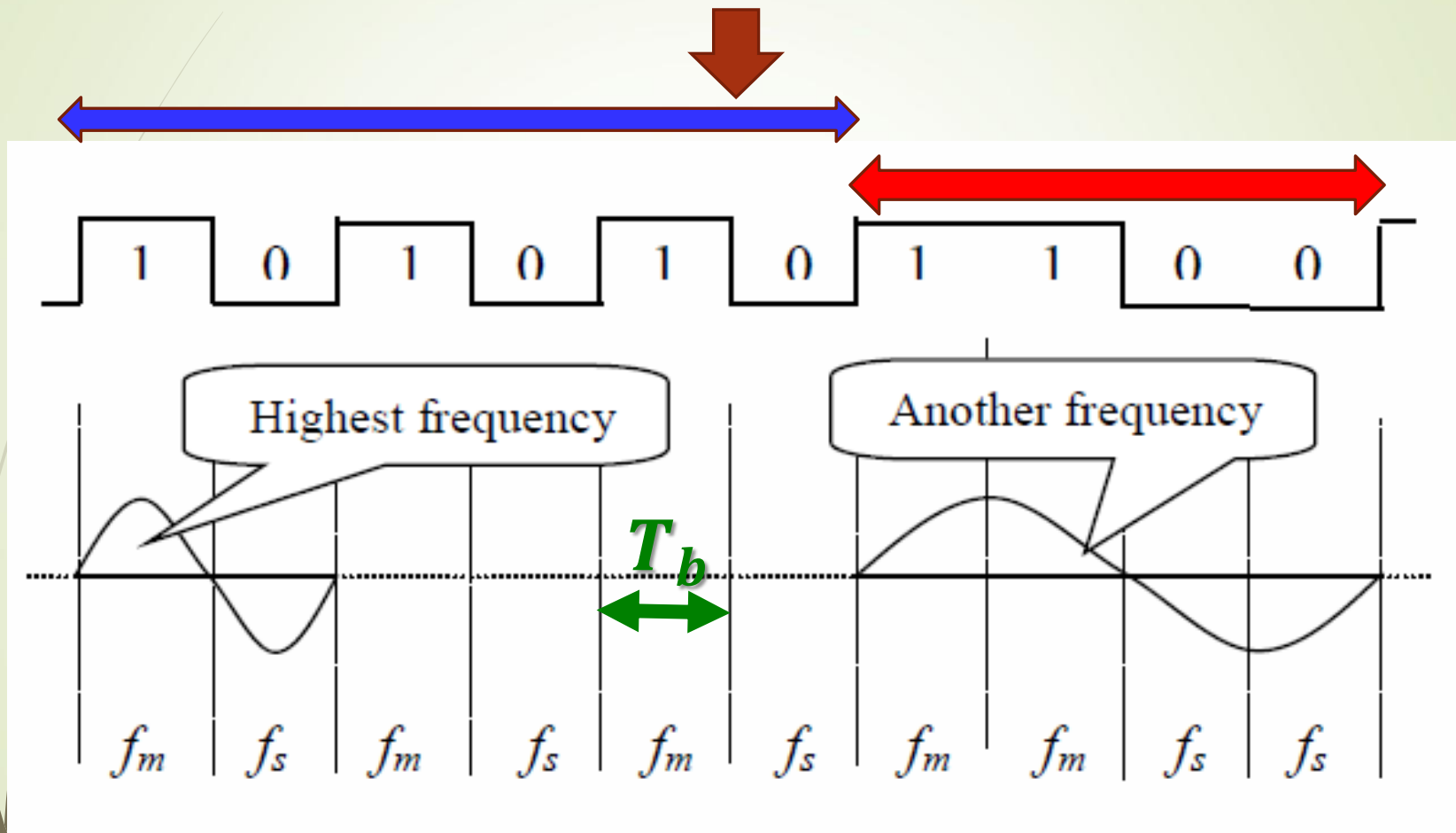
Fig 2.2 Binary FSK Modulator

Bit and Baud Rates

- **Bit rate**, in bits per second,
 - Is the rate of change at the input to the modulator.
- **Baud rate**, in symbol per sec
 - Is the rate of change at the output of the modulator and
 - Is equal to the reciprocal of the time of one output signaling element (termed as symbol).
- So, baud is the line speed in symbols per second.

12

Possible frequencies



Highest Modulating Frequency

- If bit width is T_b , bit rate will be $f_b = \frac{1}{T_b}$
- Fastest rate occurs when input is a series of alternating 1's and 0's:
- If fundamental frequency is considered, highest modulating frequency is one-half the input bit rate.

$$f_m = \frac{f_b}{2}$$

Modulation Index of FSK

14

- Peak frequency deviation Δf is one half the difference between f_m and f_s :

$$\Delta f = \frac{f_m - f_s}{2}$$

- Formula for modulation index used in FM is also valid for binary FSK as:

$$MI = \frac{\Delta f}{f_m} = \frac{\frac{f_m - f_s}{2}}{\frac{f_b}{2}} = \frac{f_m - f_s}{f_b}$$

- MI is kept below 1.0 for narrow band FM.
- BW is determined from Bessel functions table.
- MI 0.5 and 1.0, either two or three sets of significant side frequencies are generated.
- Thus, minimum BW is two or three times the bit rate.

Bandwidth of Binary FSK

- BW for FSK signal is given by Carson's rule in terms of the frequency deviation and the bandwidth of the digital modulation

$$BW_{FSK} = 2(\Delta f + B)$$

- For alternating 1 and 0, the bandwidth equals the bit rate $B = R$:

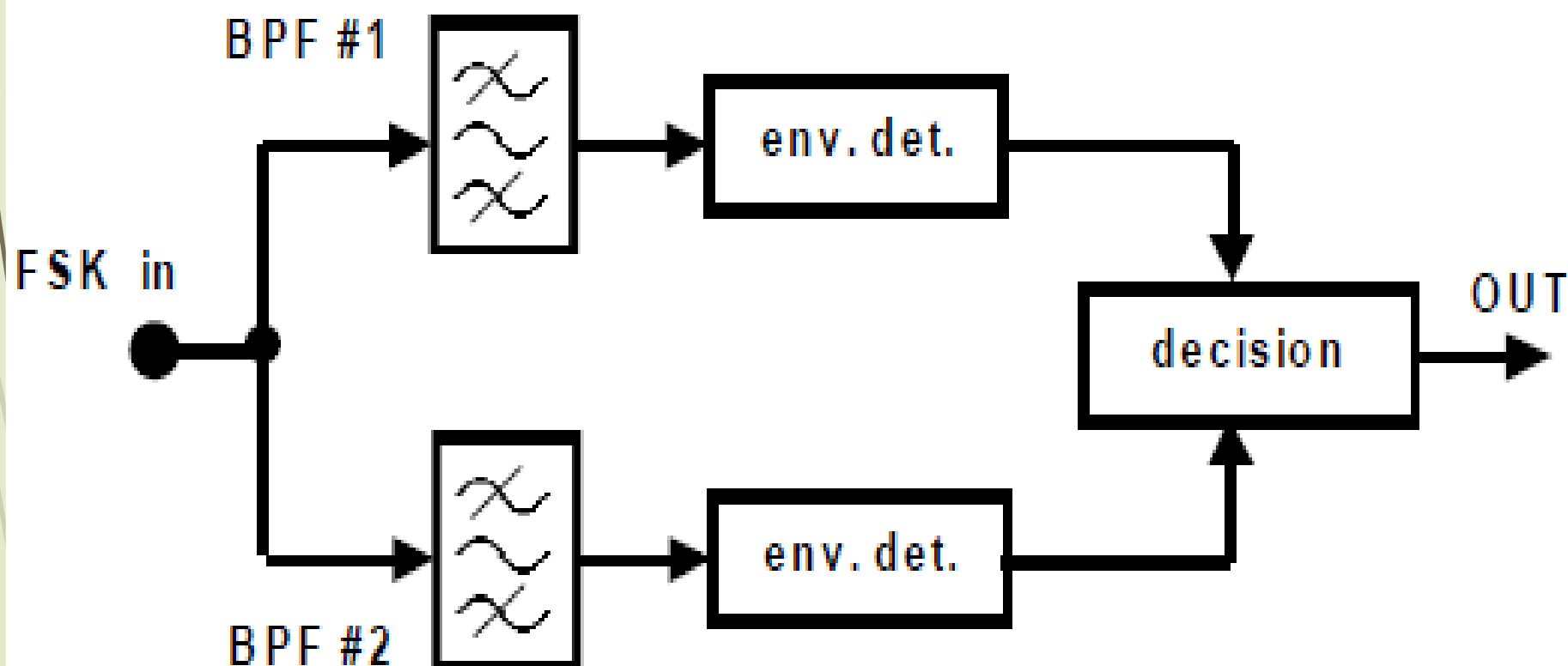
$$BW_{FSK} = 2(\Delta f + R)$$

Receiver Binary FSK

- **Noncoherent Detection:**
 - We do not have knowledge of the carrier.
 - Signal coming is divided into two BPF and envelope detectors.
 - Finally, binary restoration circuit.
- **Coherent detection:**
 - We need a complete knowledge of the exact carrier frequency on reception.
 - Received signal is applied into two multipliers, at f_1 and f_0 , then to LPF.
 - Finally binary restoration circuit.

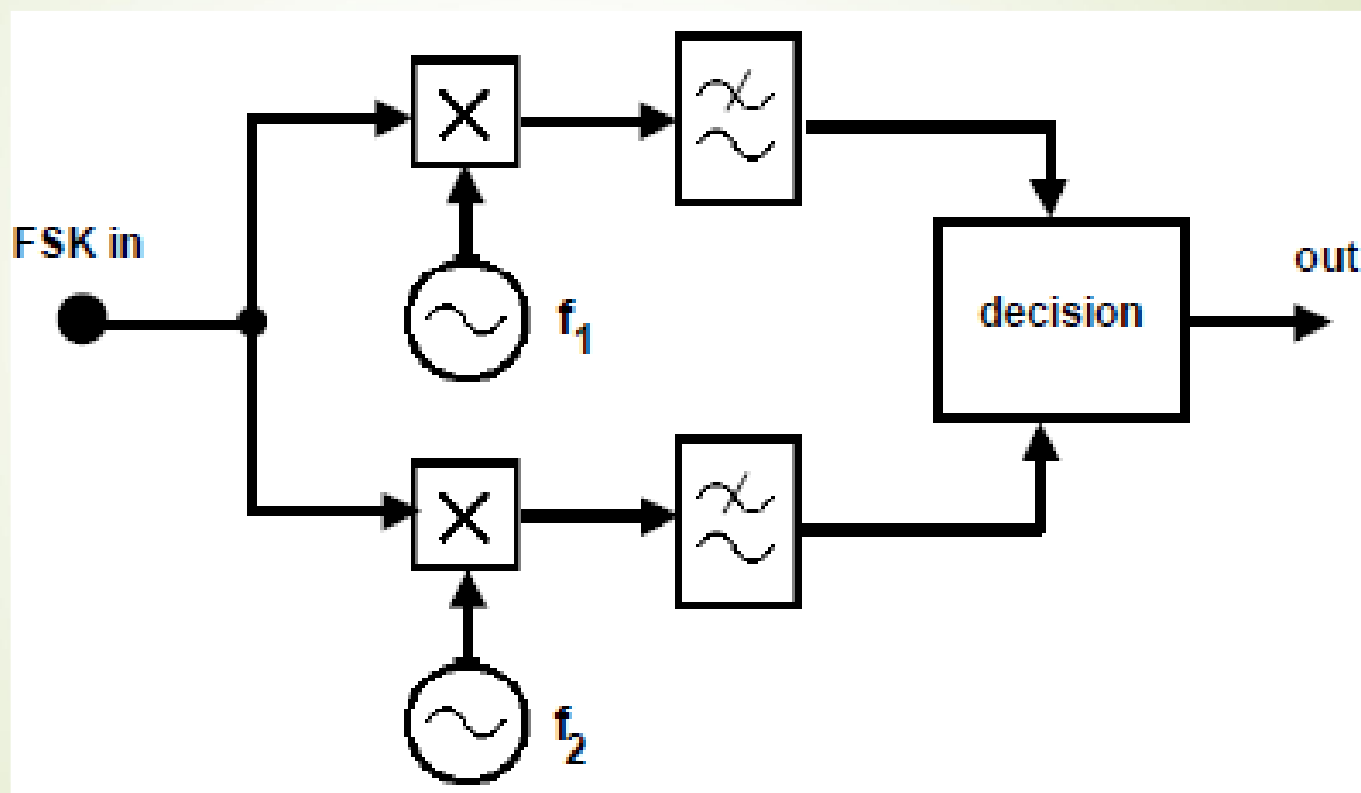
FSK

Noncoherent Detector



FSK

Synchronous Detector



Applications of FSK

- Binary FSK has a poorer error performance than PSK or QAM.
- Its use is restricted to low-performance, low-cost, asynchronous data **modems** that are used for **data communication** over analogue, voice band **telephone lines**.

Bell 103-type FSK Modem

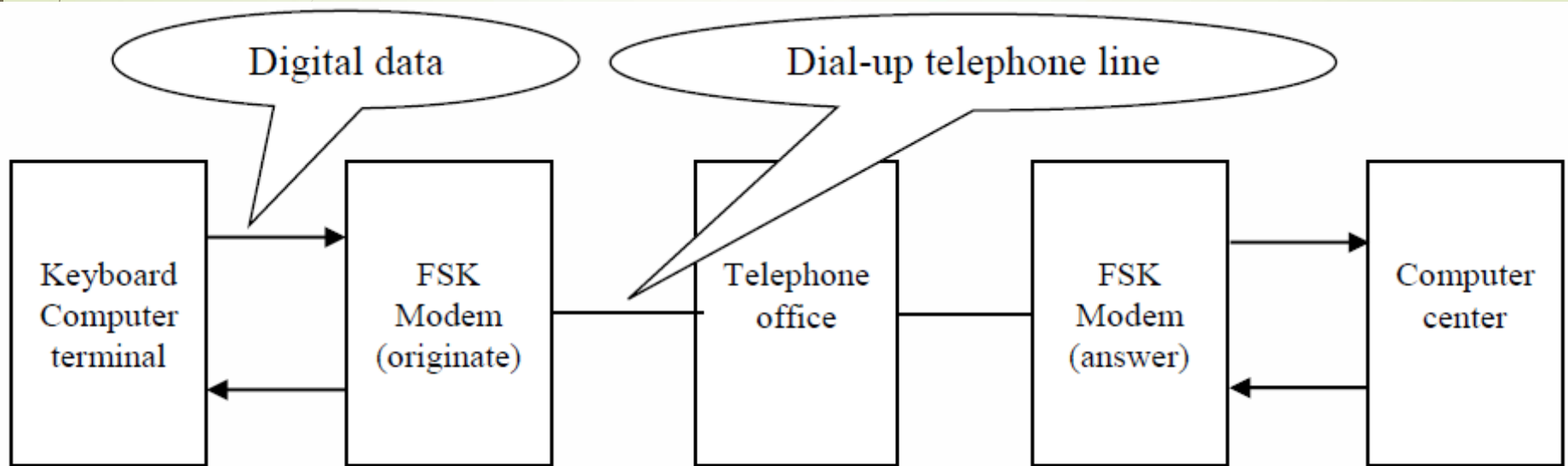


Table 2.1 Mark and Space Frequencies for the Bell Type 103 Modem

	Data	Originate Modem	Answer Modem
Transmit frequencies	Mark (binary 1)	$f_1 = 1270 \text{ Hz}$	$f_1 = 2225 \text{ Hz}$
	Space (binary 0)	$f_2 = 1070 \text{ Hz}$	$f_2 = 2025 \text{ Hz}$
Receive frequencies	Mark (binary 1)	$f_1 = 2225 \text{ Hz}$	$f_1 = 1270 \text{ Hz}$
	Space (binary 0)	$f_2 = 2025 \text{ Hz}$	$f_2 = 1070 \text{ Hz}$

Bell 103-type FSK Modem

- Keyboard-type computer terminals are often used for communication with a remote computer via dial-up telephone lines.
- Dial-up means that the computer terminal user calls the computer facility on a telephone and uses the telephone connection for data communication.
- Modem (modulator and demodulator) is connected to the phone line at each end as shown
- Two FSK frequency bands are used (one around 1 kHz and another around 2 kHz) so that it is possible to talk and listen simultaneously (full-duplex).
- The standard mark and space frequencies are shown in Table where the peak to peak deviation is $2\Delta F = 200 \text{ Hz}$

MSK

Minimum Shift Keying

Minimum Shift Keying

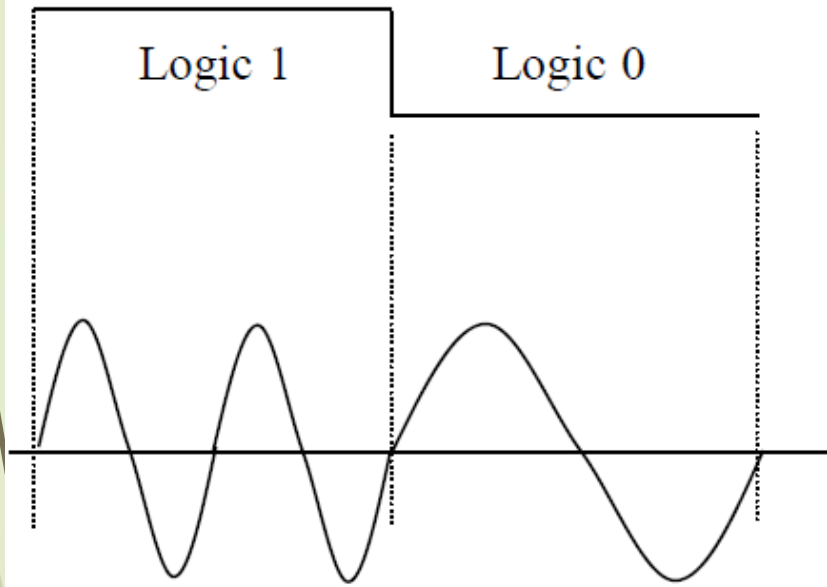
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- ❑ MSK is a continuous phase FSK keying (CPFSK).
- ❑ MSK is FSK except mark and space frequencies are synchronized with input binary rate.
- ❑ Synchronous means precise time relationship.
- ❑ Mark and space frequencies are separated from center frequency by odd multiple of one-half f_b

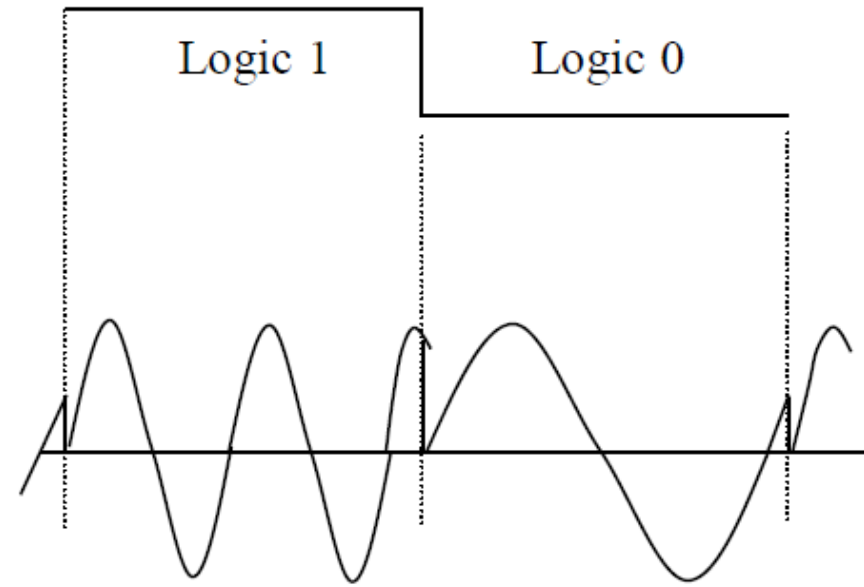
$$f_m \text{ and } f_s = n \frac{f_b}{2}$$

- ❑ MSK has a better bit error performance than FSK for a given signal to noise ratio.
- ❑ MSK has less bandwidth than FSK
- ❑ However, it requires synchronizing circuits and is therefore more expensive to implement.

MSK versus FSK



(a) Continuous Phase MSK



(b) Non-continuous FSK

Fig.2.8 Comparison of the Phase Continuity between MSK and FSK

ASK

Amplitude Shift Keying

Amplitude Shift Keying

- ❑ In ASK, amplitude of carrier switches between; zero (Off state) and some amplitude (On state)
- ❑ Such systems are termed on-off-keyed systems OOK.
- ❑ Spectrum of OOK depend on the particular binary sequence to be transmitted. However, the amplitude modulated OOK is the DSB.SC given by:

$$f_{OOK}(t) = f_{ASK}(t) = A f(t) \cos \omega_c t$$

- ❑ Spectrum of OOK signal is given as:

$$F_{OOK}(\omega) = F_{ASK}(\omega) = \frac{A}{2} [F(\omega - \omega_c) + F(\omega + \omega_c)]$$

OOK Waveforms

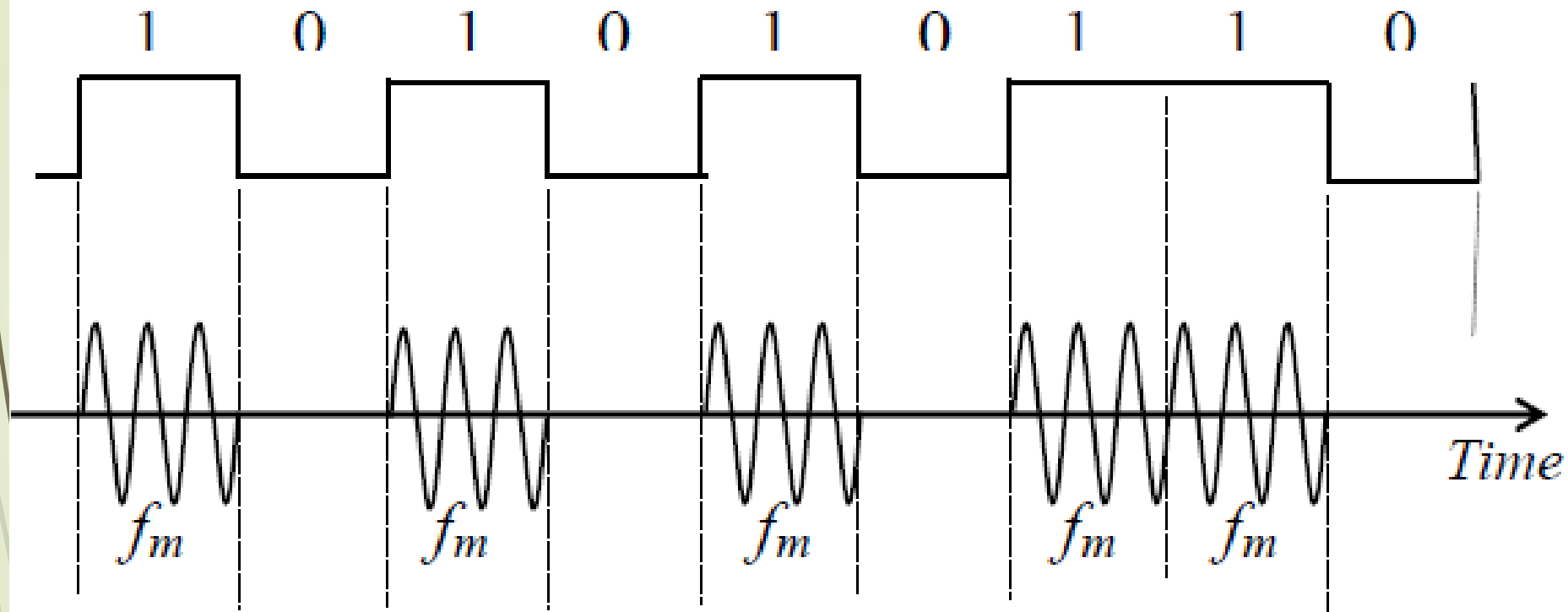


Fig.2.9 ASK or OOK Signal

Spectrum of OOK

28

- ❑ Assume the digital signal $f(t)$ is rectangular pulse (special case of binary in which all symbols are 0 except for one 1).
- ❑ For a pulse of amplitude A and duration T , the spectrum of OOK modulator is given by:

$$F_{OOK}(\omega) = \frac{AT}{2} \left[\frac{\sin(\omega - \omega_c)T/2}{(\omega - \omega_c)T/2} + \frac{\sin(\omega + \omega_c)T/2}{(\omega + \omega_c)T/2} \right] = \frac{AT}{2} \left[\text{Sa} \left\{ \frac{(\omega - \omega_c)T}{2} \right\} + \text{Sa} \left\{ \frac{(\omega + \omega_c)T}{2} \right\} \right]$$

- ❑ For alternating 1's and 0's, spectrum is $(\sin x) / x$.
- ❑ So, spectrum of pulse of width T and period $2T$ which is translated to frequency f_c as in Fig.2.10

Spectrum of Periodic OOK

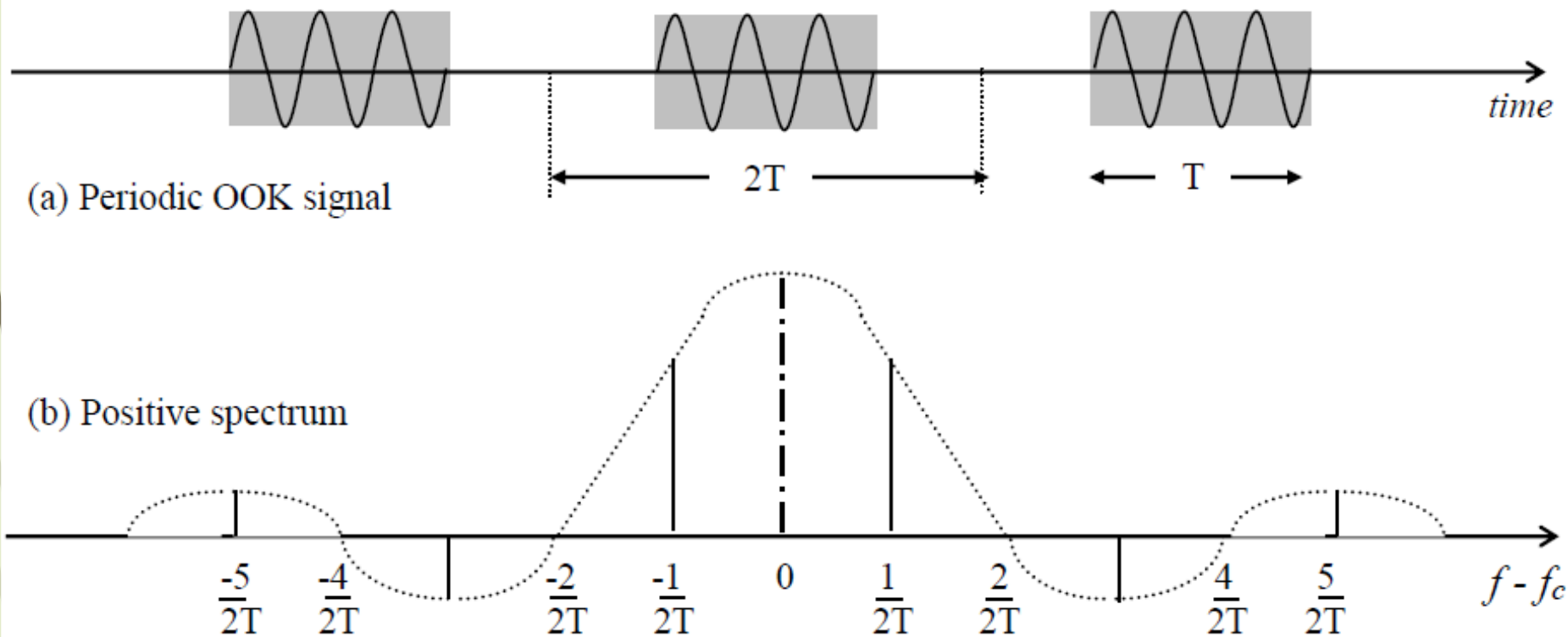


Fig.2.10 Spectrum of Periodic OOK Signal

PSK

Phase Shift

Keying

Phase Shift Keying

- ❑ PSK is similar to phase modulation PM except that its input gives rise to a limited number of output phases.
- ❑ With binary BPSK two output phases are possible for a single carrier frequency. One phase represents a logic 1 and the other represents a logic 0.
- ❑ With carrier amplitude V_c and frequency ω_c PSK voltage for binary digital modulating signal $f(t)$ is:

$$v(t) = V_c f(t) \sin \omega_c t = \begin{cases} +V_c \sin \omega_c t & \text{if } f(t) = +1 \\ -V_c \sin \omega_c t & \text{if } f(t) = -1 \end{cases}$$

- ❑ So, the carrier amplitude remains constant, whereas its phase shifts by 180° .
- ❑ Recall, carrier phase shift rate equals input bit rate.

BPSK Waveforms

32

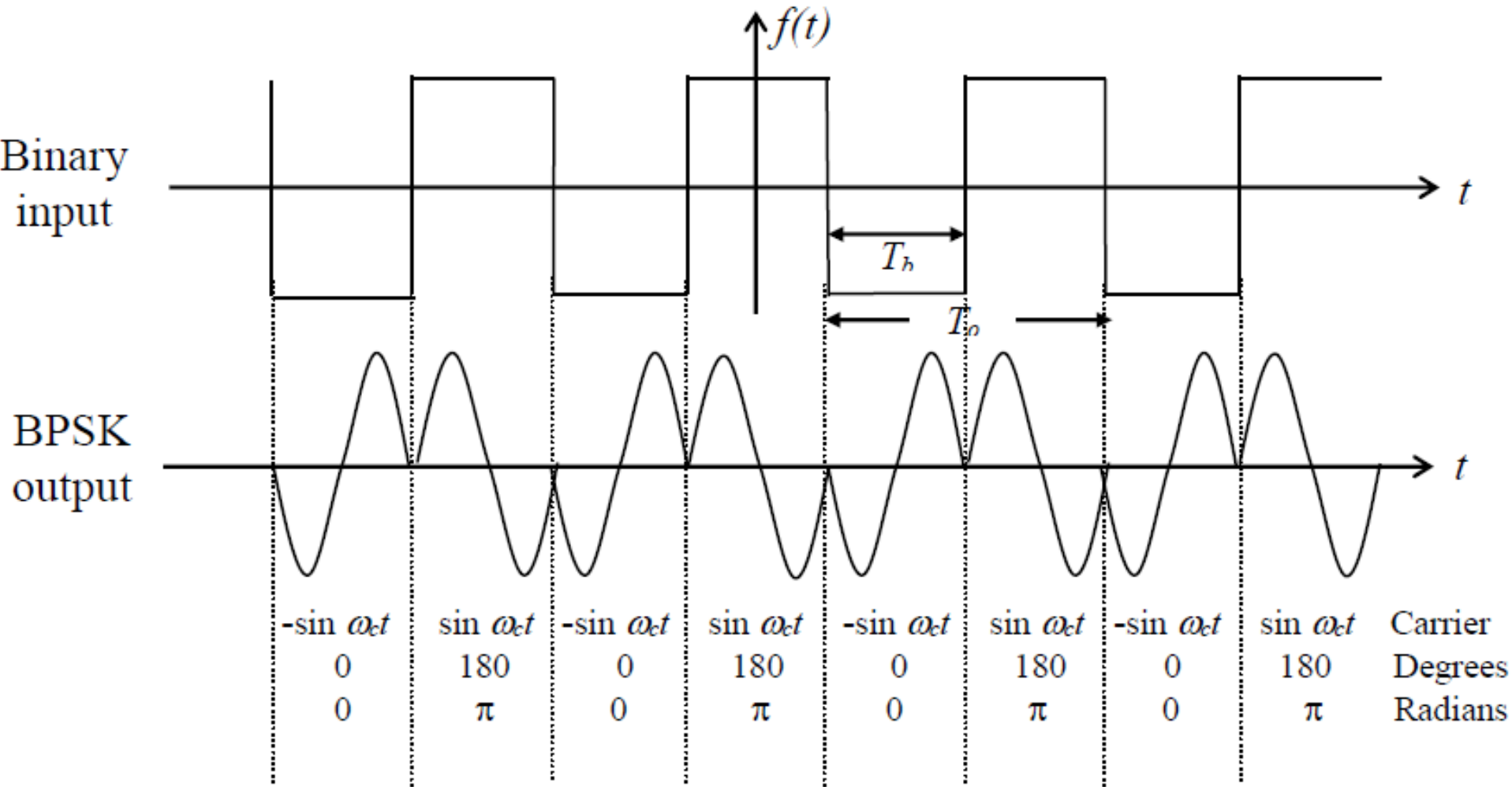


Fig.2.14 Output of BPSK Modulator

PSK Modulator

- ❑ Simplified block diagram of BPSK is shown in Fig.2.11
- ❑ Balanced modulator acts as a phase reversing switch.
- ❑ Carrier is transferred to output either in phase or 180° with respect to reference carrier oscillator.
- ❑ Balanced ring modulator circuit is shown in Fig.2.12.
- ❑ Digital voltage must be much greater than the peak carrier voltage for proper operation.
 - ❑ For logic 1: D1 and D2 are ON while D3 and D4 are OFF, carrier voltage across T2 is in phase with the carrier voltage across T1 or the reference oscillator.
 - ❑ For logic 0: D1 and D2 are OFF while D3 and D4 are ON, carrier voltage across T2 is 180° out of phase with reference oscillator.

Transmitter of BPSK

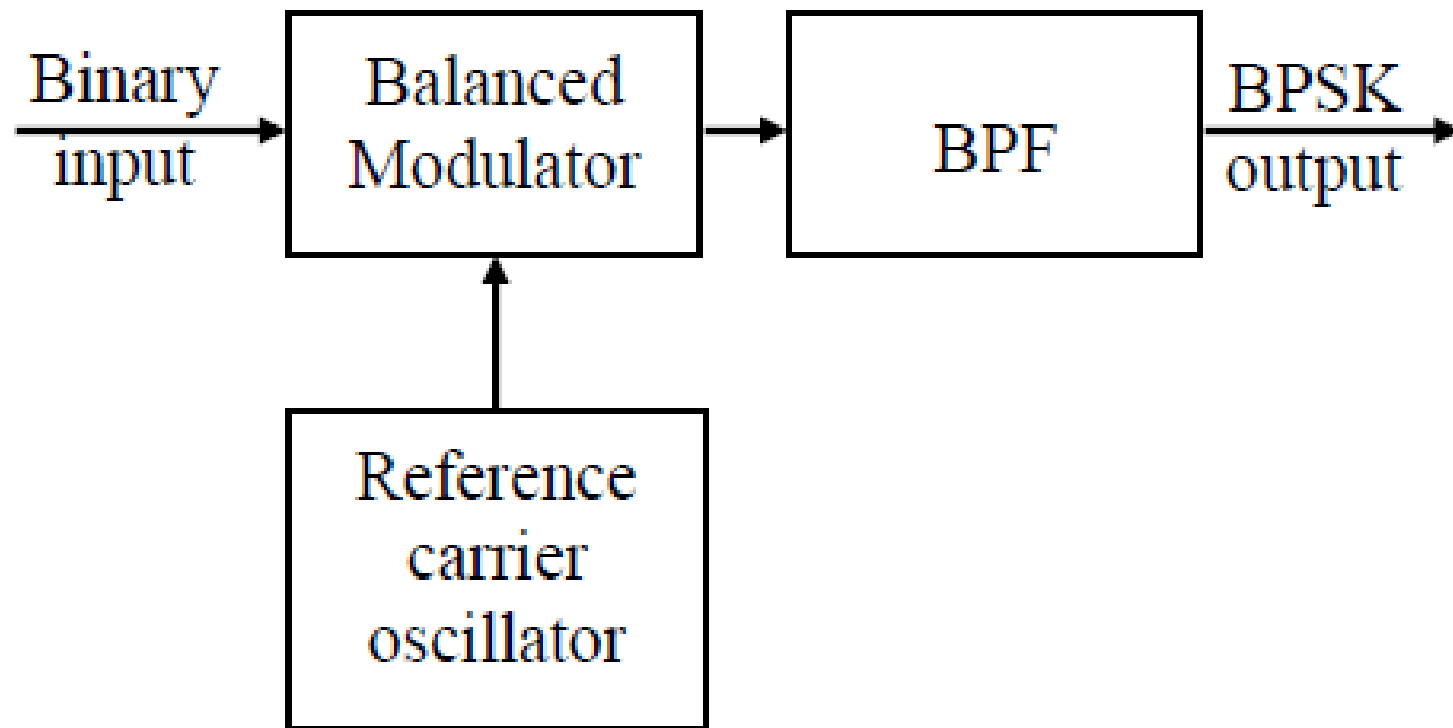


Fig.2.11 BPSK Modulator

PSK Balanced Ring Modulator

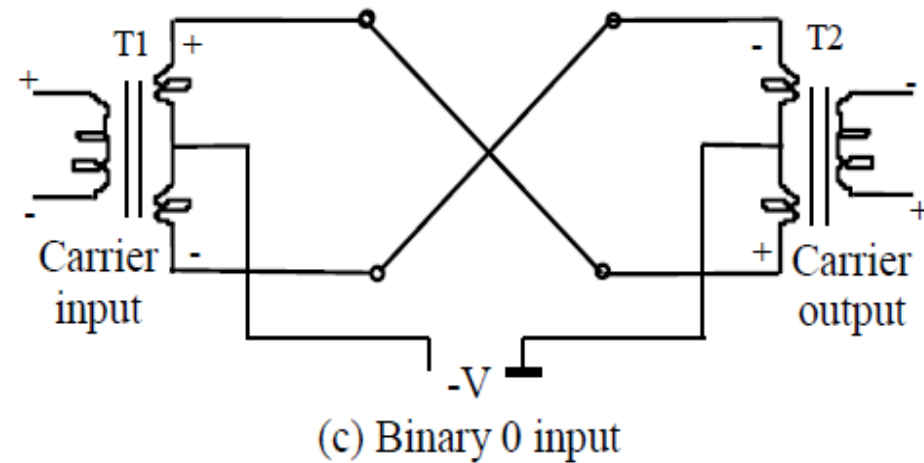
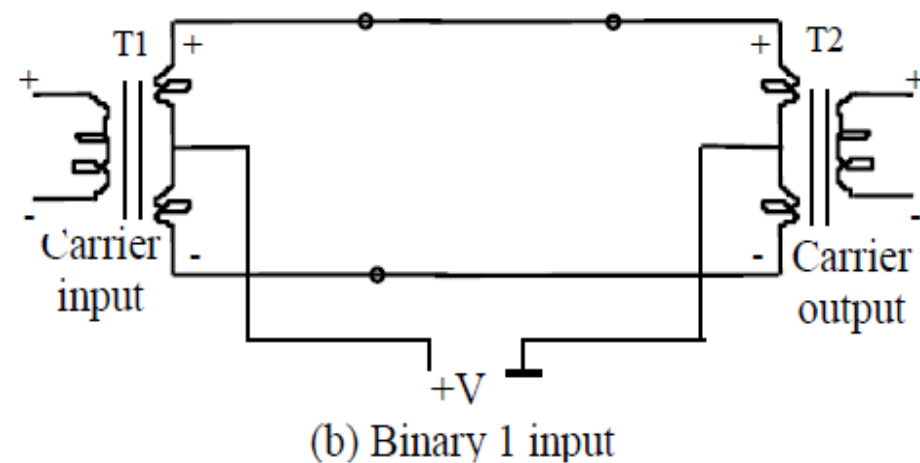
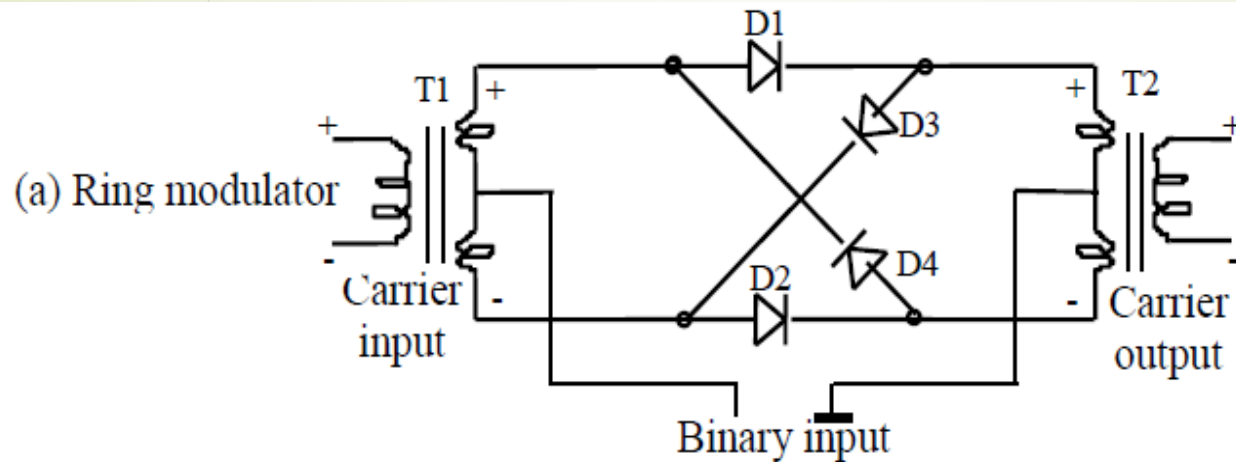


Fig.2.12 Balanced Ring Modulator

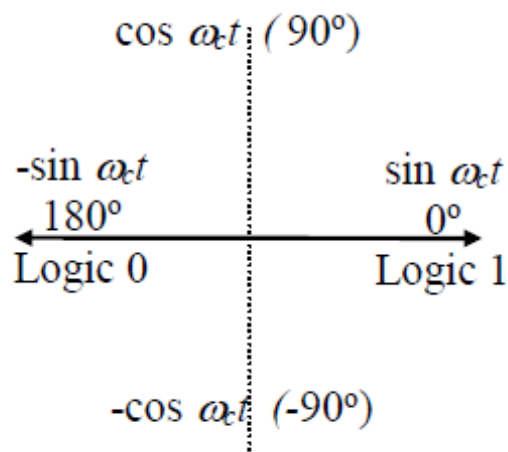
Representation of BPSK

- Figure shows truth table, phasor diagram and constellation diagram for a BPSK.
- Constellation diagram is similar to phasor except that the entire phasor is not drawn.
- Only the relative positions of the peaks of the phasors are shown.

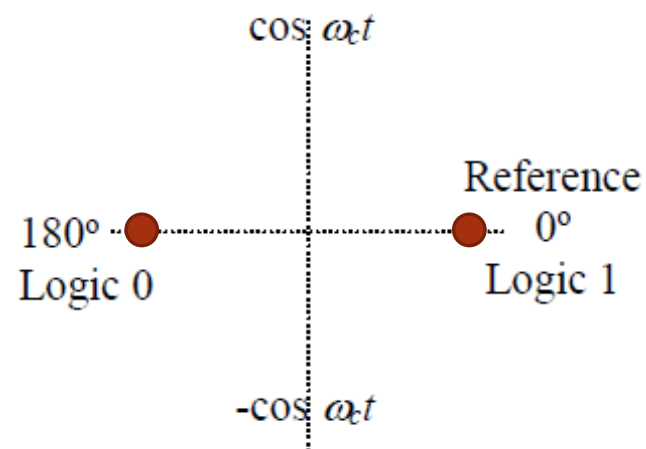
Truth, Phasor, Constellation

Binary input	Output phase
Logic 0	180°
Logic 1	0°

(a) Truth table



(b) Phasor diagram



(c) Constellation diagram

Fig.2.13 BPSK Representation

Band Width of PSK

38

- ❑ Balanced modulator is product so carrier is multiplied by binary data (either +1 or -1).
- ❑ Also, widest bandwidth occurs when data is alternating 1/0 sequence.

- ❑ Product modulator output of the BPSK is:

$$output = \sin \omega_a t \sin \omega_c t = \frac{1}{2} \cos(\omega_c - \omega_a)t + \frac{1}{2} \cos(\omega_c + \omega_a)t$$

- ❑ Consequently, minimum double-sided Nyquist bandwidth is:

$$B_{BPSK} = (\omega_c + \omega_a) - (\omega_c - \omega_a) = 2\omega_a = 2(f_b / 2) = f_b$$

- ❑ Minimum bandwidth to pass worst-case BPSK equals input bit rate.

PSK Reception

39

- Simple block diagram of BPSK detection.
- Coherent carrier recovery circuit detects and regenerates carrier that is both frequency and phase coherent with the original transmit carrier.
- Balanced modulator output is the product of two inputs (BPSK signal and the recovered carrier).
- The LPF separates the recovered binary data from the complex demodulated spectrum.

Detection of BPSK

40

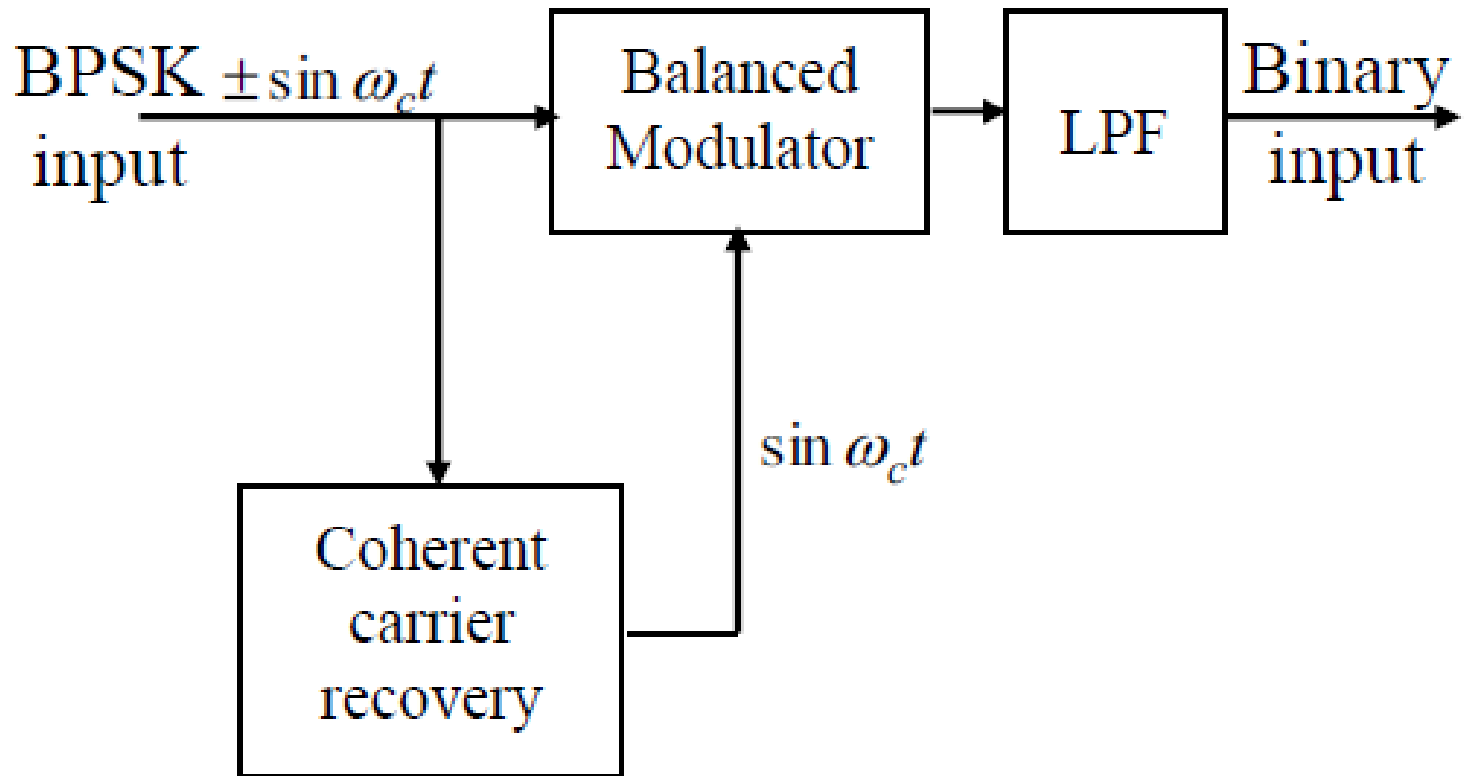


Fig.2.15 BPSK Receiver

Demodulation Process

- For input $+\sin \omega_c t$ (logic 1), balanced output is:

$$\text{Output} = \sin \omega_c t \sin \omega_c t = \sin^2 \omega_c t = \frac{1}{2}(1 - \cos 2\omega_c t) = \frac{1}{2} - \frac{1}{2} \cos 2\omega_c t$$

$$\text{Filter output} = +\frac{1}{2} \text{ dc voltage} \equiv \text{Logic 1}$$

- For input $-\sin \omega_c t$ (logic 0), the output is:

$$\text{Output} = -\sin \omega_c t \sin \omega_c t = -\sin^2 \omega_c t = -\frac{1}{2}(1 - \cos 2\omega_c t) = -\frac{1}{2} + \frac{1}{2} \cos 2\omega_c t$$

$$\text{Filter output} = -\frac{1}{2} \text{ dc voltage} \equiv \text{Logic 0}$$

M-ary **Phase Shift** **Keying**

M-ary Encoding

- In **M**-ary, one of **M** possible signals may be transmitted during each signaling interval.
- It is advantageous to encode at a level higher than binary, e.g., **4**PSK and **8**PSK.
- Each possible transmitted signal of an **M**-ary message sequence is referred to as "**symbol**".
- Mathematically, the number of bits per symbol **n** is related to the number of possible signals **M** by:

$$M = 2^n$$

Quadrature PSK

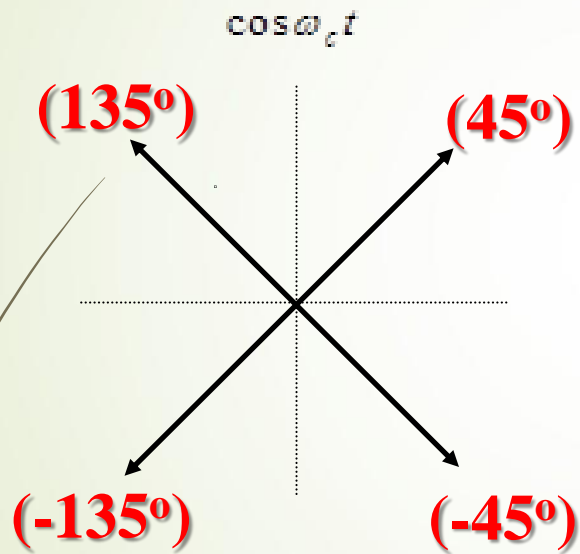
- QPSK, is another form of angle modulated, constant envelope digital modulation, and $M = 4$ possible symbols.
- 4 phases are possible for a single carrier frequency.
- Binary input data are combined into groups of 2 bits called dibits.
- Each dibit code generates one of the four possible output phases.
- For each 2- bit, a single output change occurs. So, the output baud rate is one-half of the input bit rate.

QPSK Truth Table

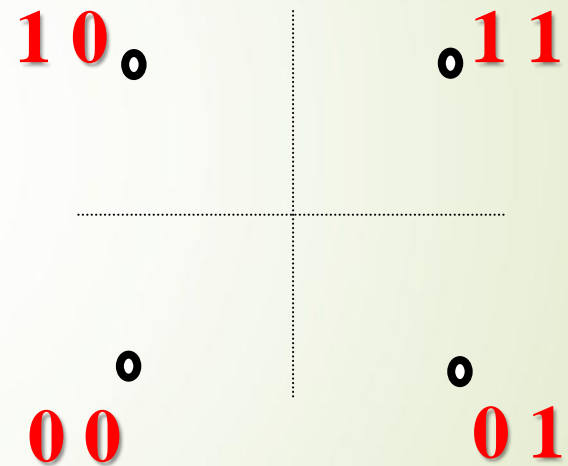
Inputs		Output
A	B	Phase
0	0	-135
0	1	-45
1	0	+135
1	1	+45

QPSK

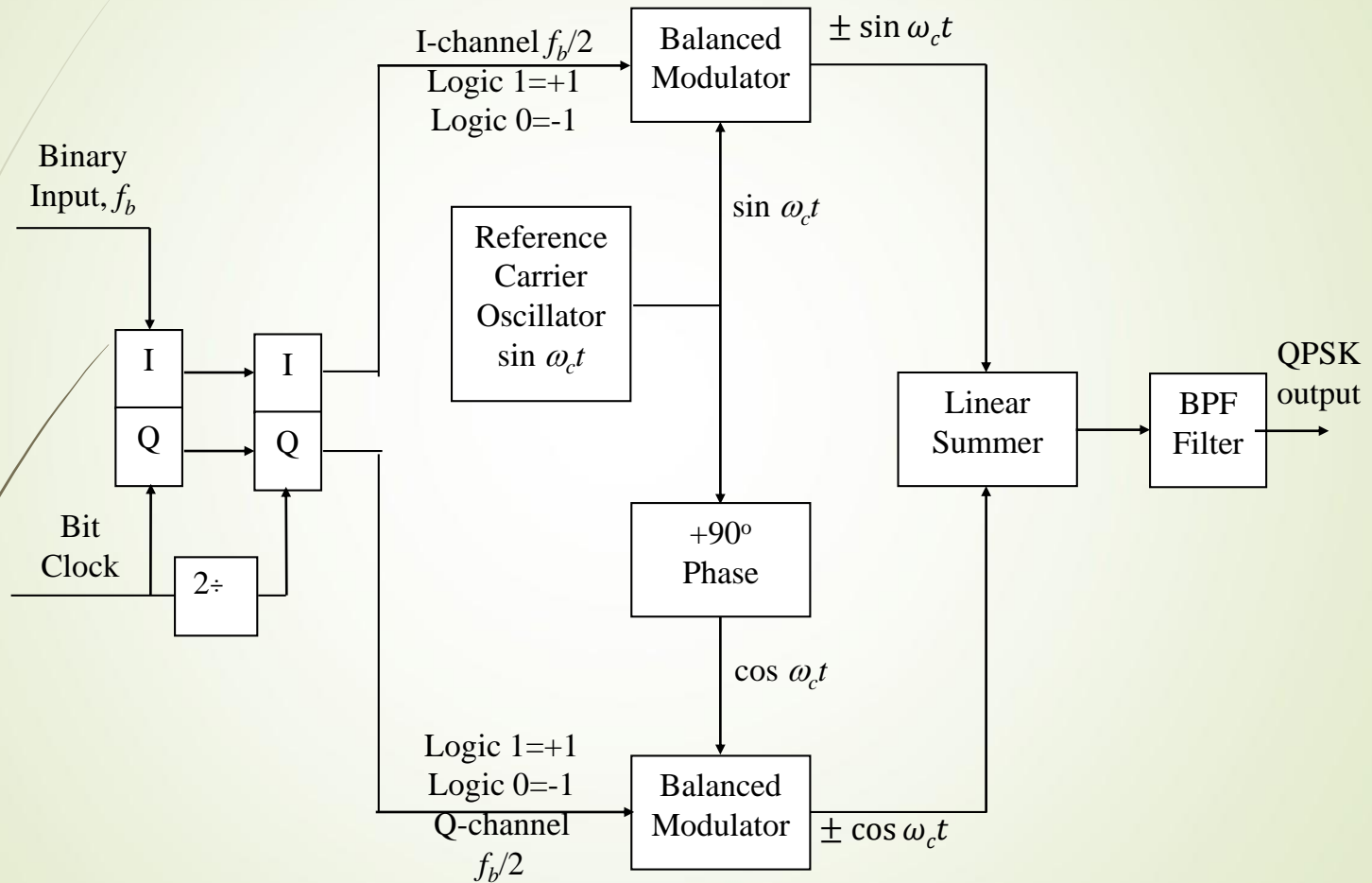
Phasor Constellation



$\sin \omega_c t$



QPSK Transmitter



Transmitter Operation

- QPSK modulator is a two BPSK modulators combined in parallel.
- **Two bits are clocked into the bit splitter.**
- **After both bits have been serially inputted, they are simultaneously parallel outputted.**
- **One bit is directed to I-channel to modulate the carrier that is in phase with the reference.**
- **Other bit is directed to Q-channel to modulate carrier that is 90° out of phase or in quadrature with the reference.**
- **If linear summer combines the two quadrature signals, there are 4 possible phases as follows:**

$$\pm \sin \omega_c t \pm \cos \omega_c t$$

Splitting to I and Q Channels

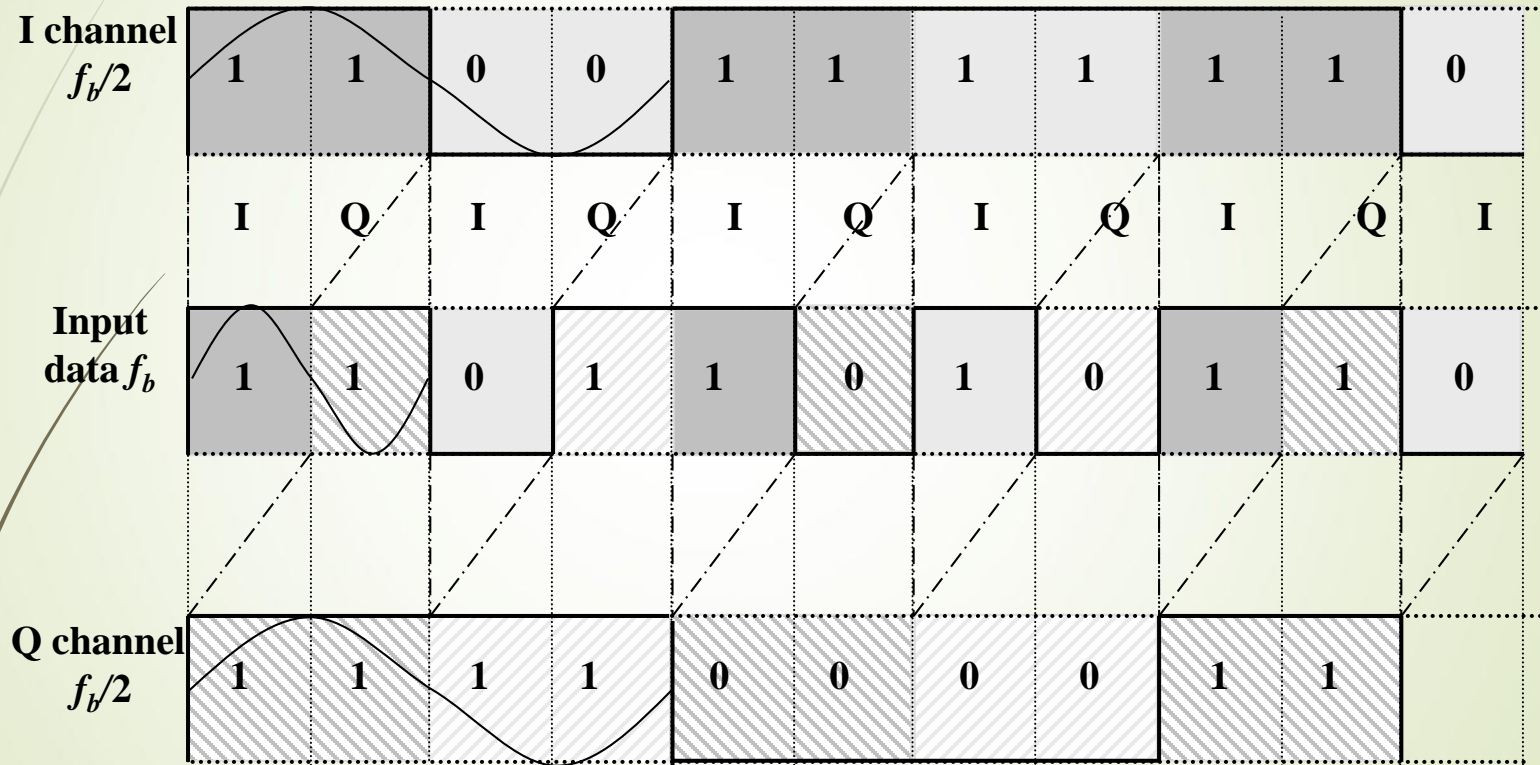


Fig.3.16: Highest Fundamental Frequency

Bandwidth of QPSK

50

- Input data rate f_b is divided into two channels.
- I or Q channel bit rate is $\frac{1}{2}$ input rate, i.e., $f_b/2$.
- Highest fundamental frequency at input of balanced modulators is one-fourth of input rate, i.e., $f_b/4$
- Balanced modulator product of I or Q channels:

$$\text{Output} = \sin \omega_a t \sin \omega_c t = \sin 2\pi \frac{f_b}{4} t \sin 2\pi f_c t$$

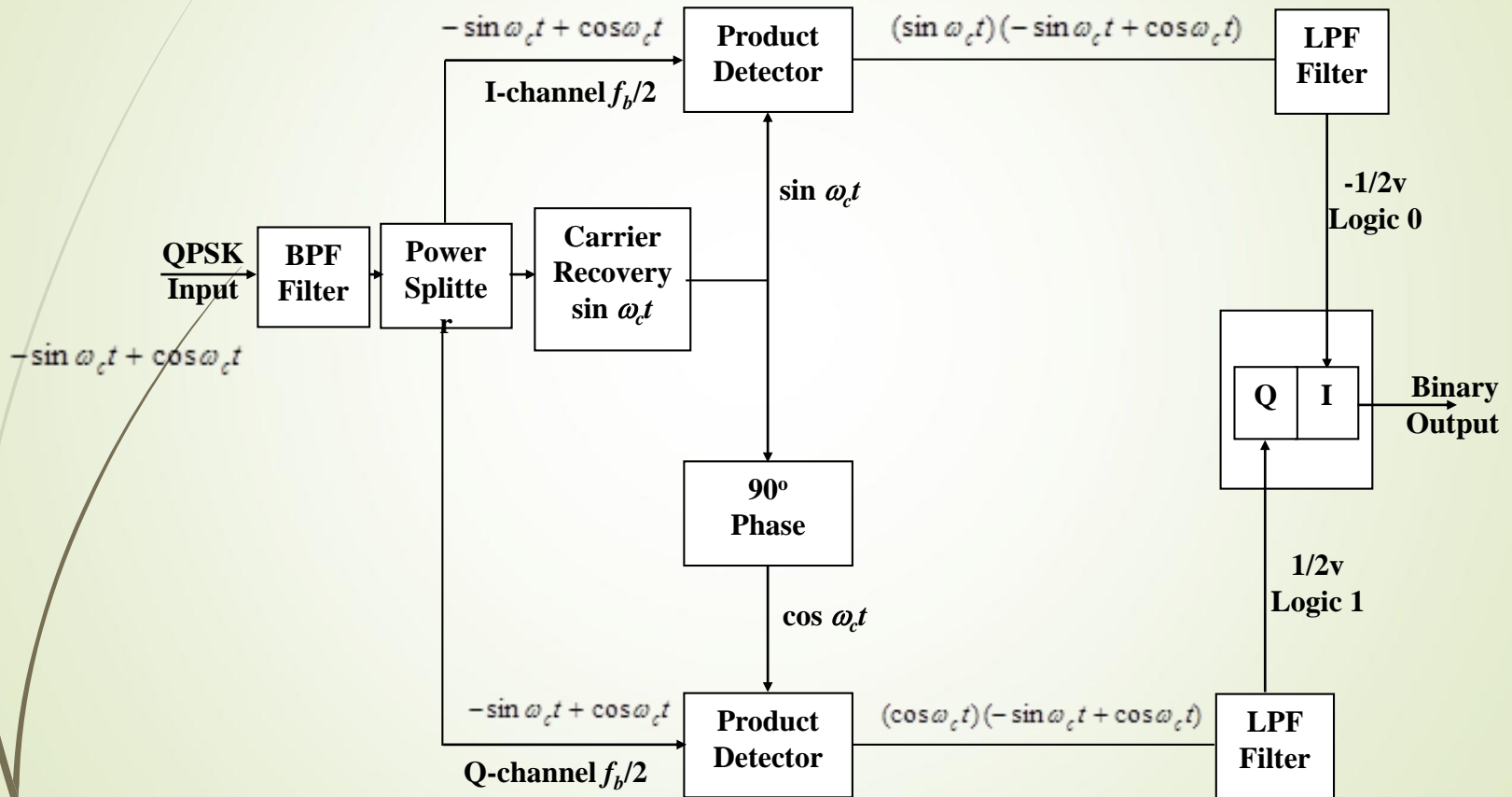
$$\text{Output} = \sin 2\pi \left(f_c - \frac{f_b}{4} \right) t \sin 2\pi \left(f_c + \frac{f_b}{4} \right) t$$

- So, output extends from $f_c - f_b/4$ up to $f_c + f_b/4$:

$$BW_{QPSK} = f_c + \frac{f_b}{4} - \left(f_c - \frac{f_b}{4} \right) = \frac{f_b}{2}$$

- Minimum bandwidth of QPSK is less than incoming rate so that bandwidth is compressed to $f_b/2$ only.

QPSK Receiver



Receiver Operation

- Power splitter directs QPSK signal into I and Q channels and carrier recovery circuit.
- Carrier recovery circuit reproduces the original transmit reference carrier.
- QPSK signal is demodulated in I and Q channels through product detectors.
- Detectors outputs are fed to combining circuit, to convert from parallel I and Q channels to a single binary output.

Offset QPSK [OQPSK]

A modified form of QPSK where the bit waveforms on I and Q channels are offset or shifted in phase by one-half of a bit time.

- It can be implemented by adding a delay.
- In QPSK, change from 00 to 11 or 01 to 10 causes 180° shift in output phase.
- Since changes in I channel of OQPSK occur at midpoints of Q bits, there is never more than a single bit change in the dibit code,
- So, 90° shift in phase improves performance.
- Disadvantage: changes in phase occur at twice the data rate so bandwidth is twice.

OQPSK Transmitter

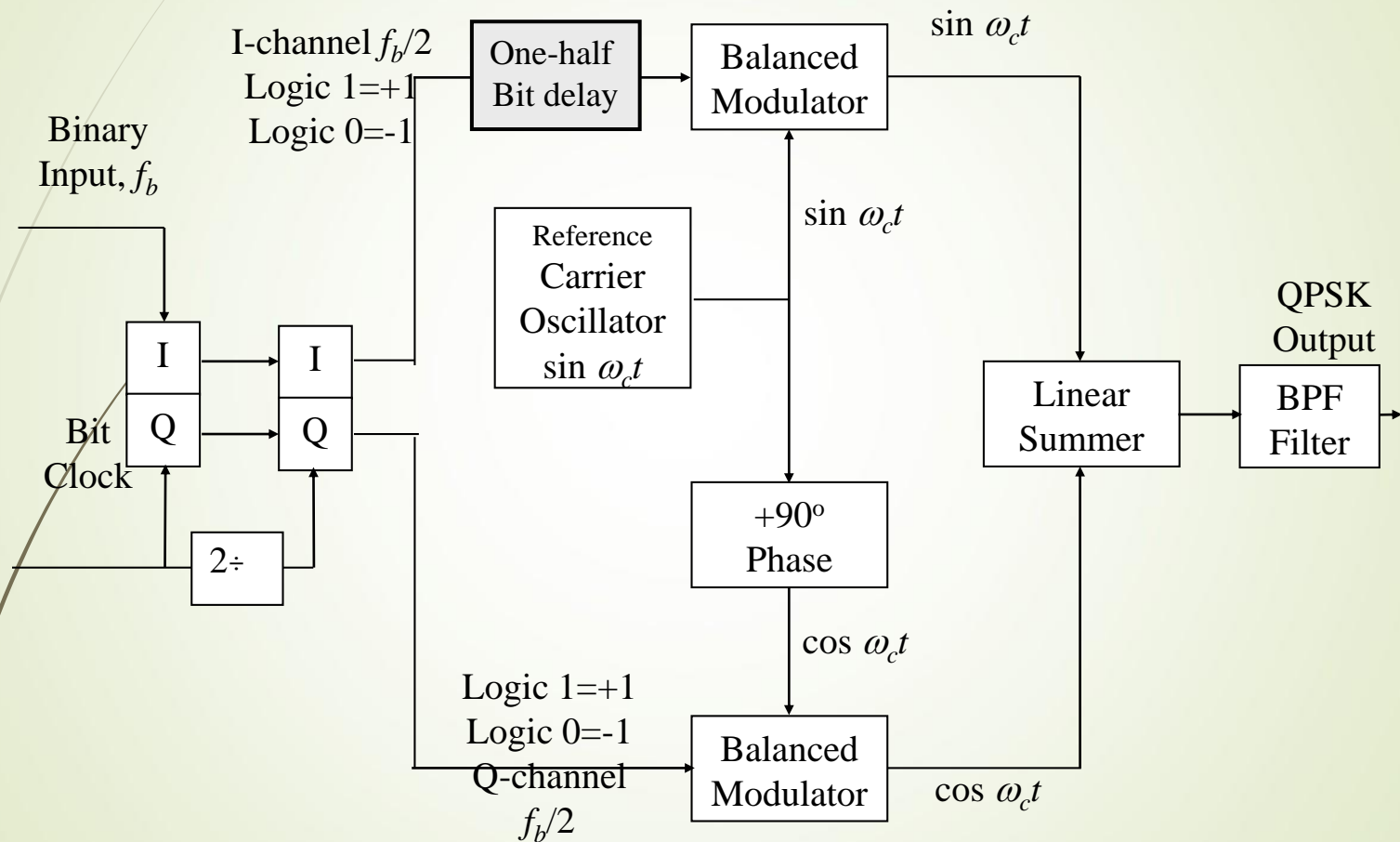
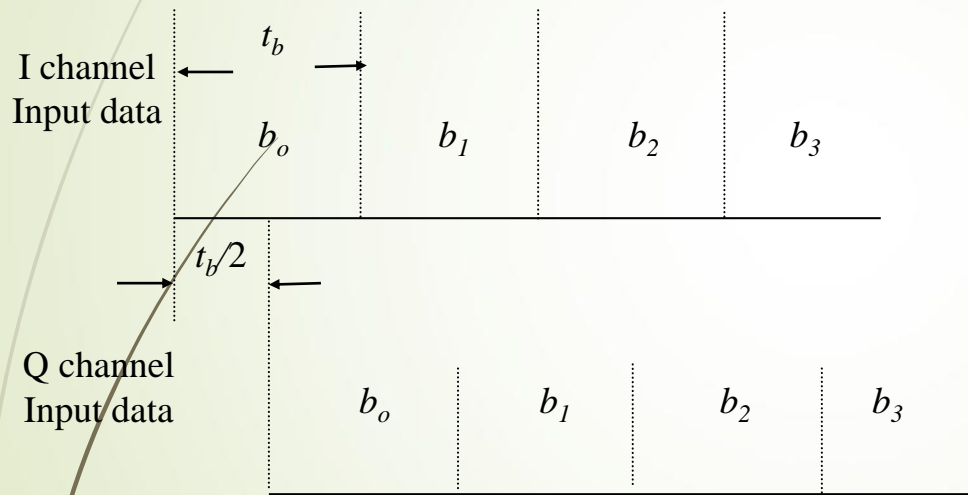
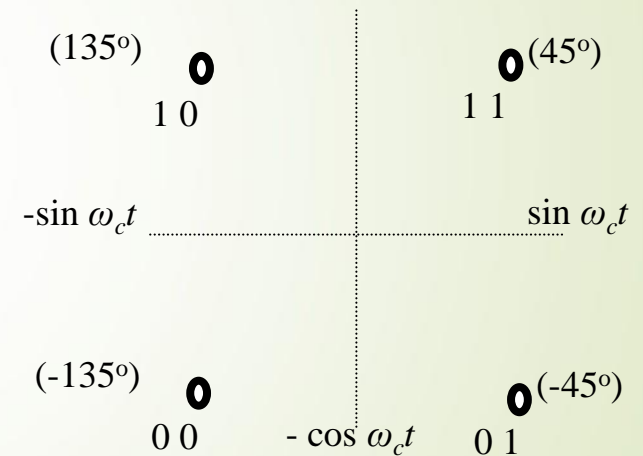


Fig.3.18: Offset QPSK Modulator

Offset Delay Concepts



(a) Bit sequence alignment



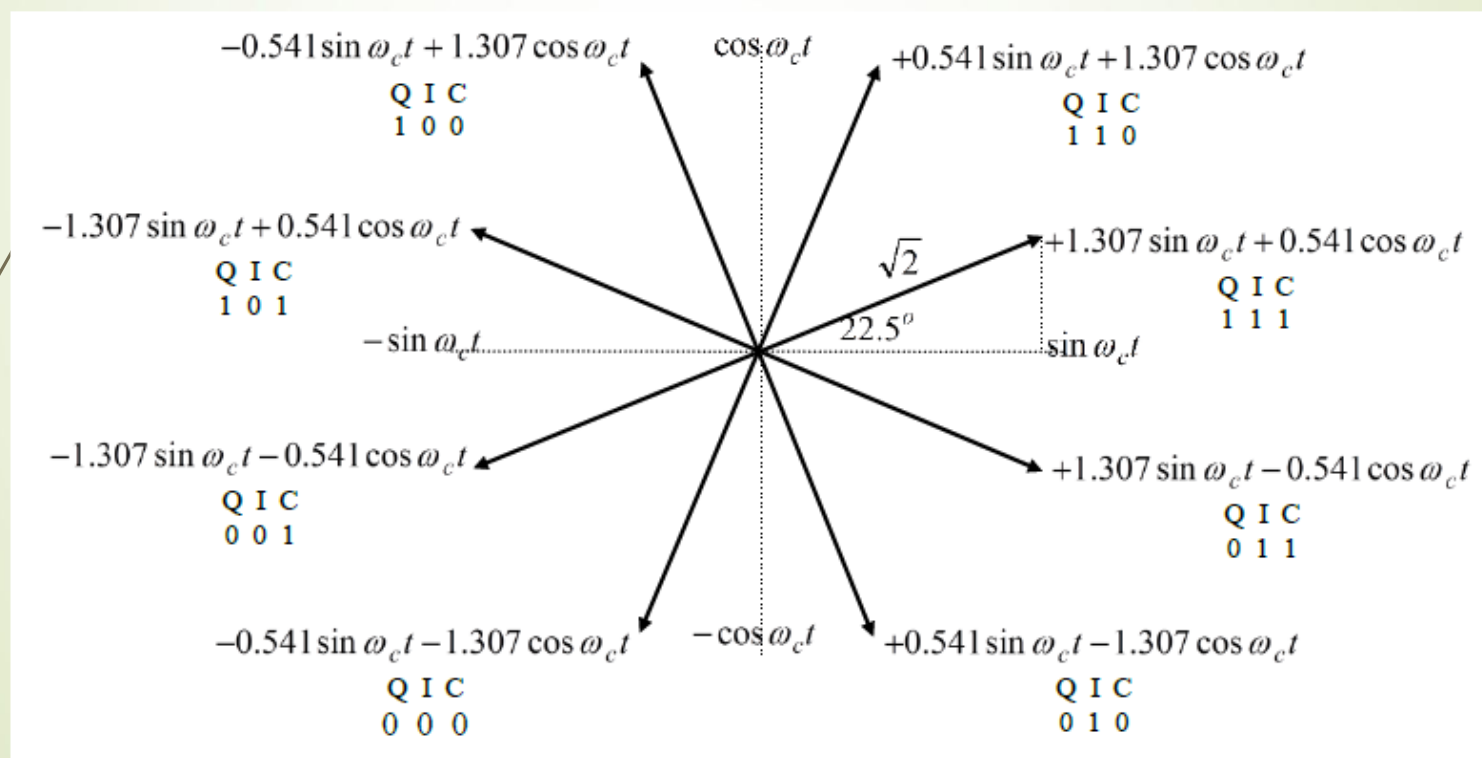
(b) Constellation diagram

Fig.3.19: OQPSK

8 PSK

8PSK

Phasor Diagram

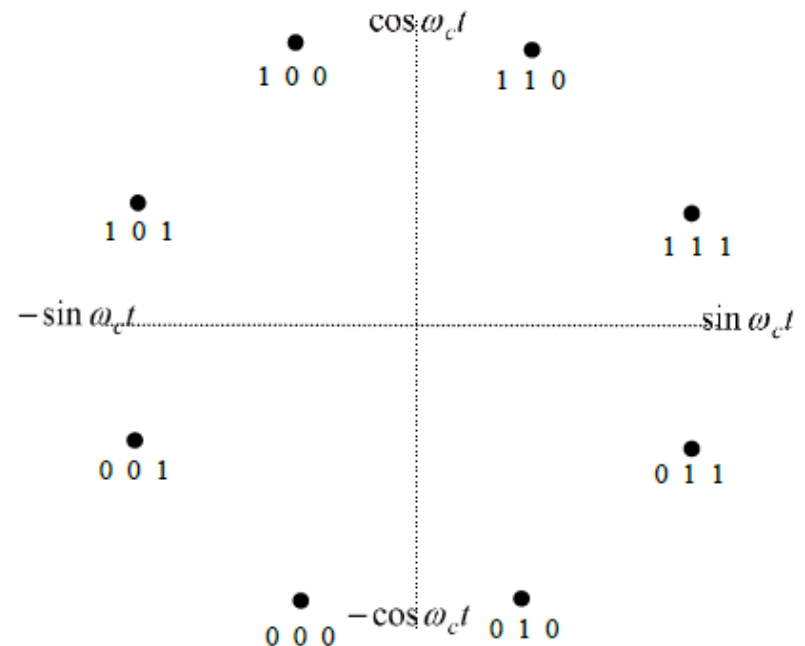


8PSK

Truth - Constellation

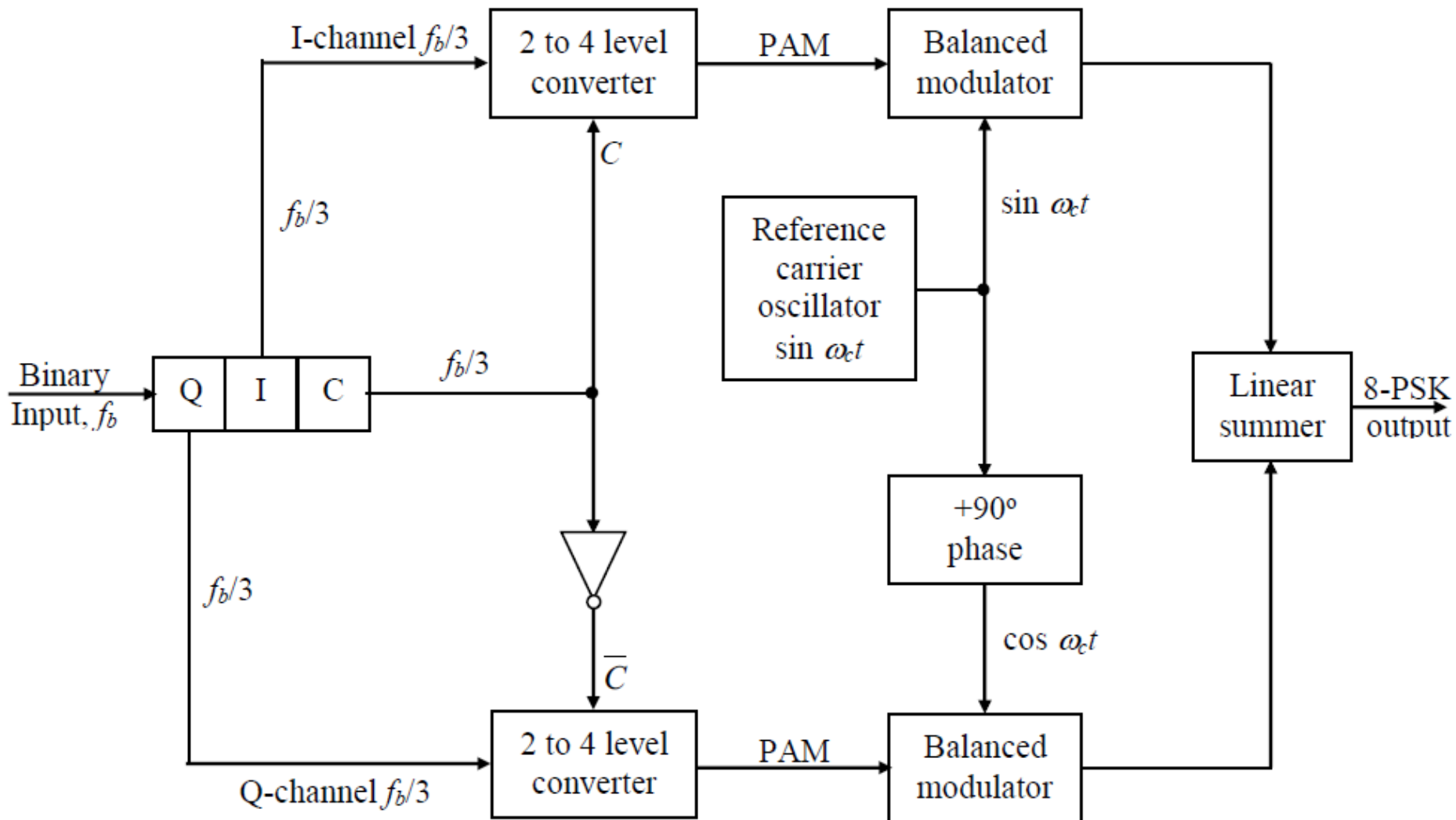
Binary input			8-PSK Output phase
Q	I	C	
0	0	0	-112.5
0	0	1	-157.5
0	1	0	-067.5
0	1	1	-022.5
1	0	0	+112.5
1	0	1	+157.5
1	1	0	+067.5
1	1	1	+022.5

(b) The Truth Table of 8-PSK



(c) Constellation diagram of 8-PSK

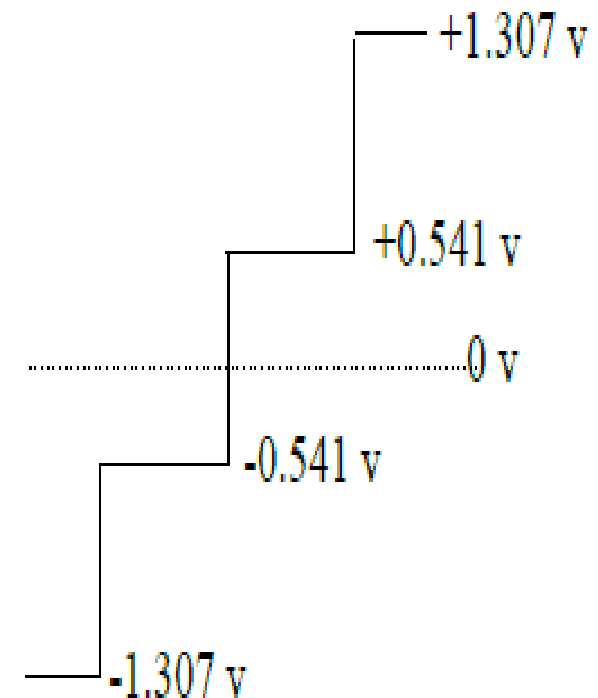
8PSK Transmitter



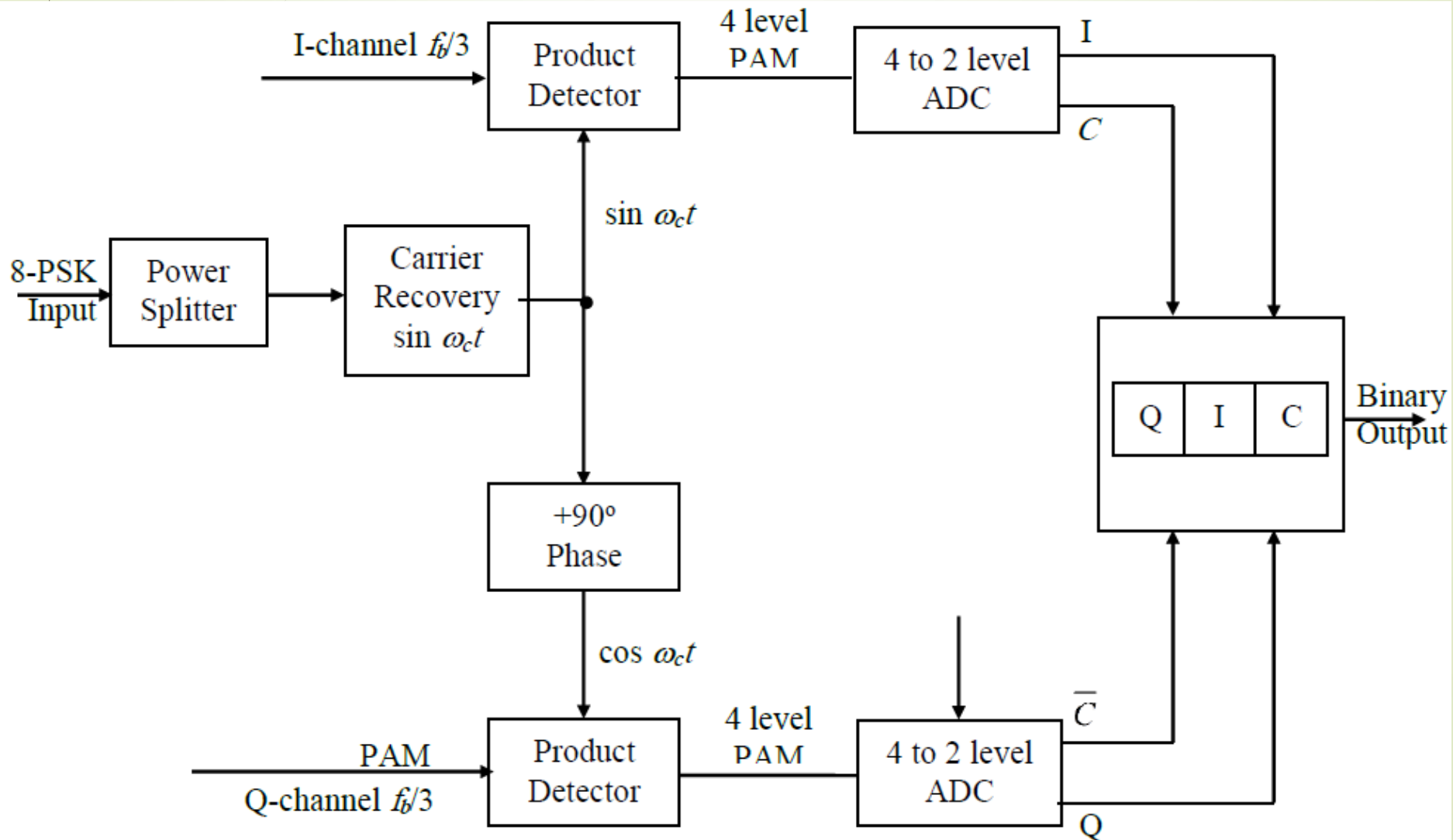
2-4 Levels Converter

I	C	Output
0	0	-0.541v
0	1	-1.307v
1	0	+0.541v
1	1	+1.307v

Q	\bar{C}	Output
0	1	-1.307v
0	0	-0.541v
1	1	+1.307v
1	0	+0.541v



8-PSK Receiver



QAM

Quadrature

Amplitude

Modulation

QAM

- QAM is a form of digital modulation, the information is contained in both the amplitude and the phase of the transmitted carrier.
- **8**-QAM is **M** -ary encoding technique where **M** = 8.
- **8**-QAM output is not a constant-amplitude signal such as **8**-PSK.

■

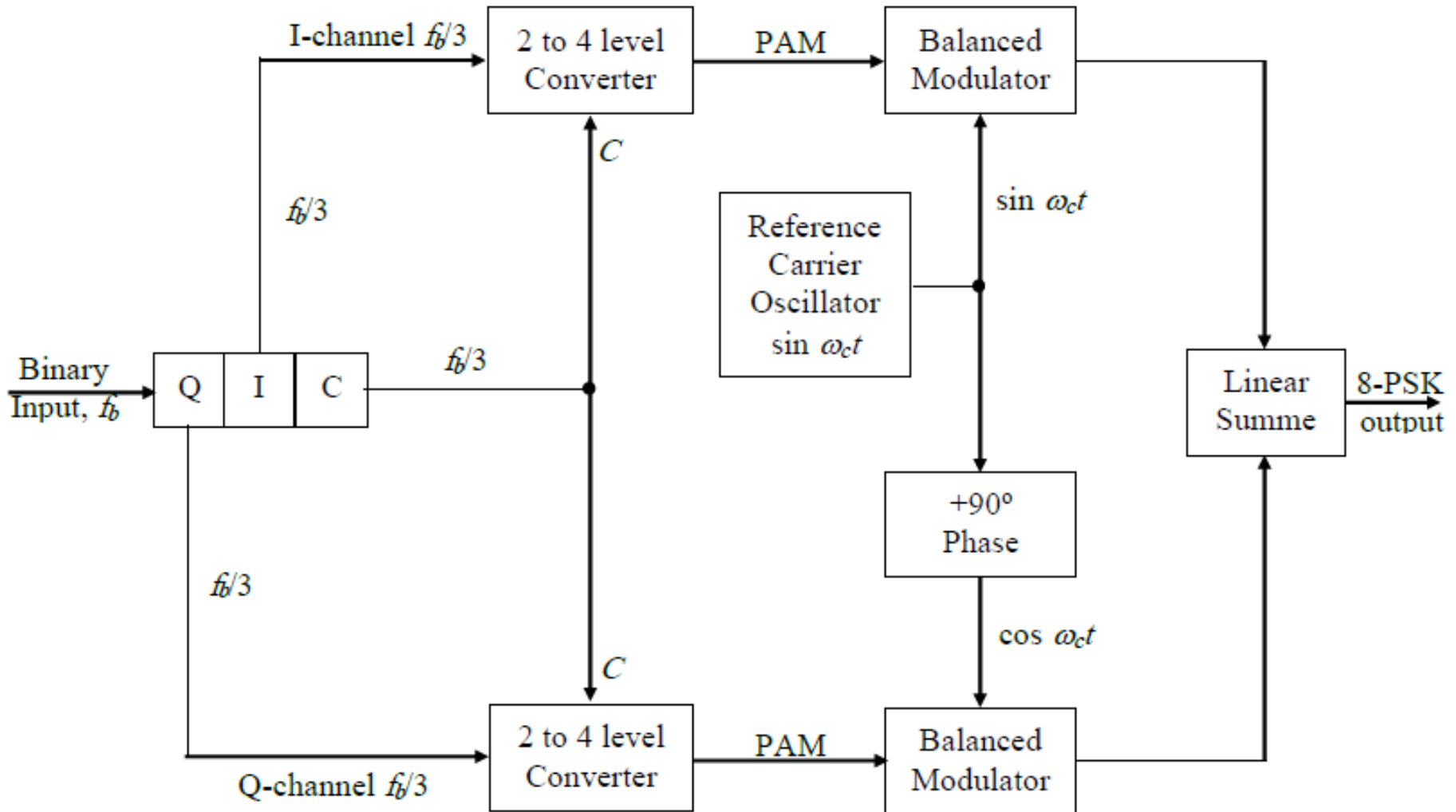
8-QAM Transmitter

- 8-QAM differs from 8-PSK in the inverter between the C and Q.
- Data are divided into I, Q, and C channels; each with a rate $f_b/3$.
- I and Q bits determine the polarity of PAM signal at output of 2-to-4 level converters
- C channel determines the magnitude.
- 8-QAM output is not a constant-amplitude signal such as 8-PSK.

8-QAM Truth Table

BINARY INPUT			8-QAM OUTPUT	
Q	I	C	AMPLITUDE	PHASE
0	0	0	0.765 V	-135
0	0	1	1.848 V	-135
0	1	0	0.765 V	-45
0	1	1	1.848 V	-45
1	0	0	0.765 V	+135
1	0	1	1.848 V	+135
1	1	0	0.765 V	+45
1	1	1	1.848 V	+45

8-QAM Transmitter



Comparison

Table 2.2: Bandwidth Efficiency of Digital Modulation Techniques

Modulation	Encoding	Bandwidth, Hz	Baud rate	Efficiency, b/s/Hz
FSK	Single bit	$>f_b$	f_b	<1
BPSK	Single bit	f_b	f_b	1
QPSK	Di-bit	$f_b/2$	$f_b/2$	2
8-PSK	Tri-bit	$f_b/3$	$f_b/3$	3
8-QAM	Tri-bit	$f_b/3$	$f_b/3$	3
16-PSK	Quad-bit	$f_b/4$	$f_b/4$	4
16-QAM	Quad-bit	$f_b/4$	$f_b/4$	4

Squaring Loop

- The received BPSK signal is filtered to reduce the spectral width of noise.
- Squaring circuit removes the modulation and generates the second harmonic of carrier.
- This harmonic is phase tracked by PLL.
- The frequency of PLL (VCO output) is then divided by 2 and used as a phase reference for the product modulators.

BPSK Carrier Recovery

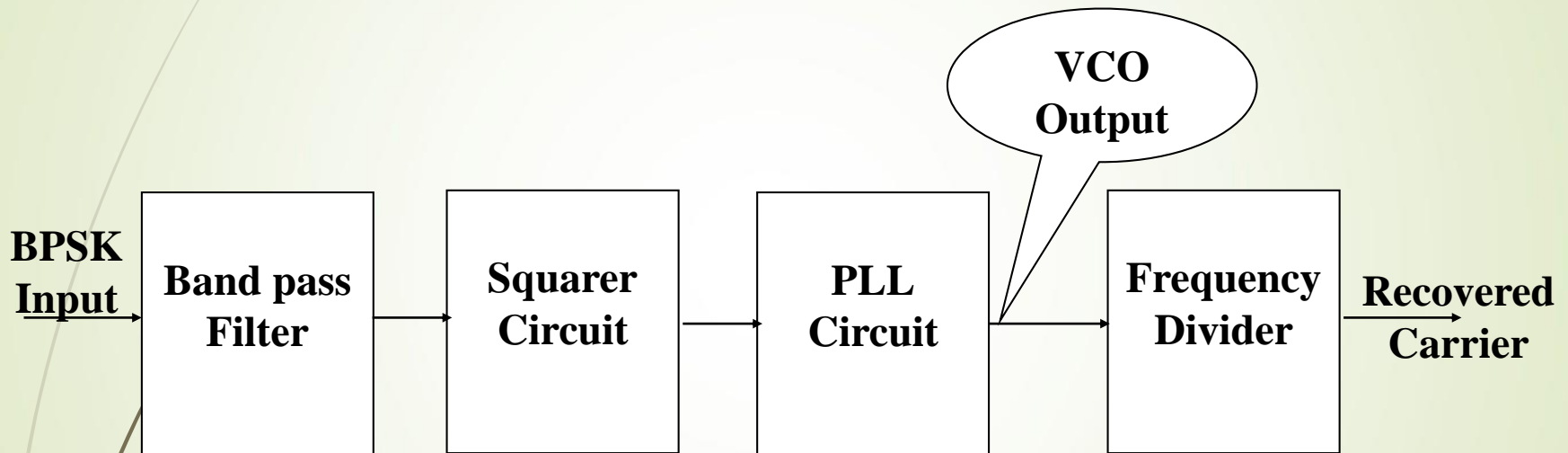


Fig.2.27 Squaring Loop Carrier Recovery for BPSK